

# Scattering Calculations:

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## Practical considerations

(1) How to characterize clouds?

(2) Specific issues

I. accurate determination of cloud describing parameter

II. determining an optimal particle size grid

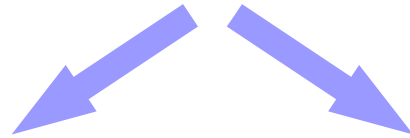
# How to characterize clouds?

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Microphysical

and  
properties

Macrophysical



Mass content [ $\text{g}/\text{m}^3$ ]  
(e.g., IWC)

Particle size  
Particle shape

alternatively:

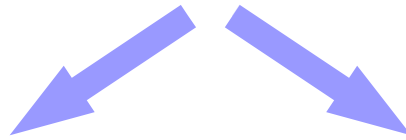
volume content [ $\text{cm}^3/\text{m}^3$ ],  
number density [ $\text{particles}/\text{m}^3$ ]

Cloud altitude  
Geometrical thickness

# How to characterize clouds?

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Or, more continuously:



Mass content ( $z$ )

alternatively:

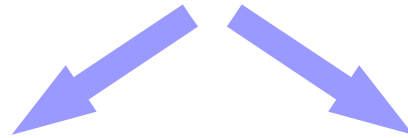
volume content, number density

Particle size  $N(r,z)$

Particle shape

# How to characterize clouds?

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Mass content (z)

alternatively:

volume content, number density



“Scaling factor” on optical  
properties

Particle size (z)

Particle shape (z)



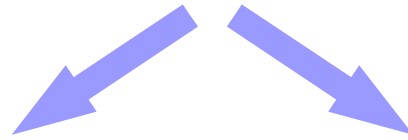
Determine the optical  
properties

$(\beta_a, \beta_s, +P_{\text{hase}}\text{FunCTion})$

$(\tau, \omega_0)$

# How to characterize clouds?

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Particle size (z)

Particle shape (z)

Mie theory, T-matrix, ...

Databases



Single size properties

+

Size distribution  $N(r,z)$



Determine the optical  
properties

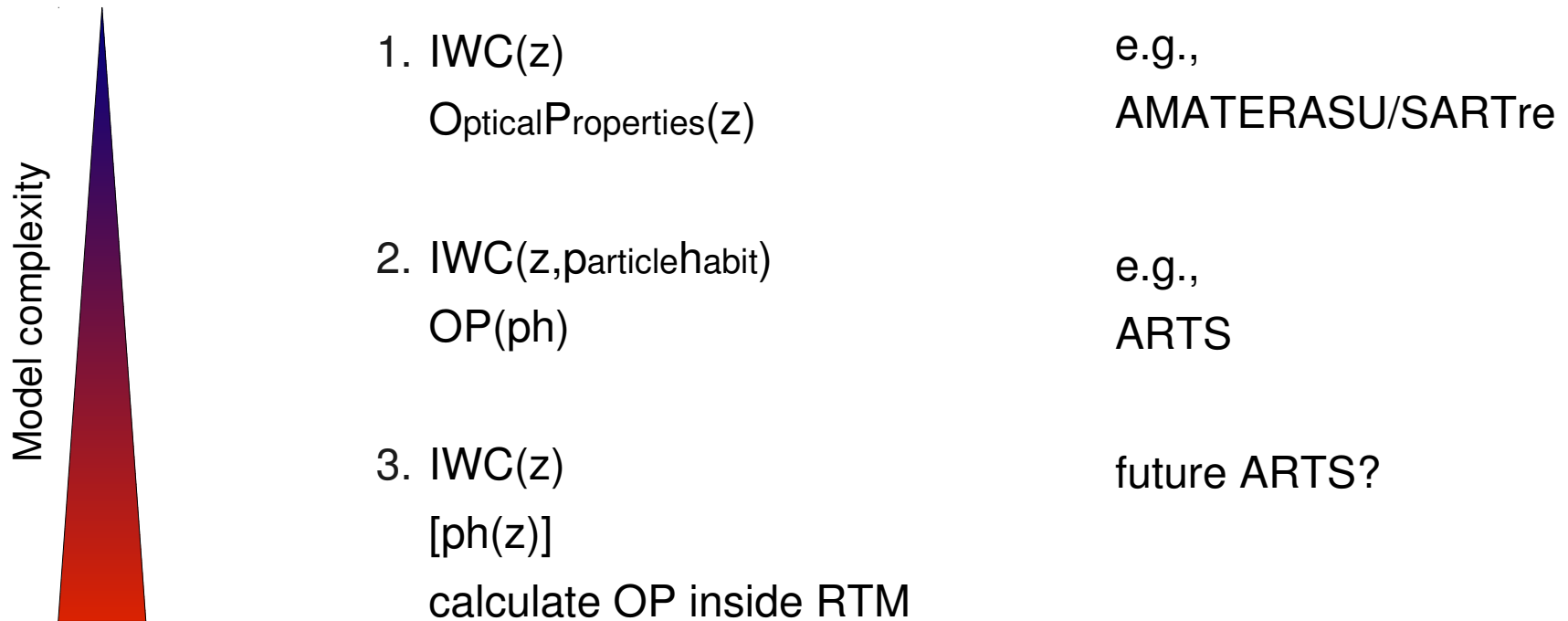
$(\beta_a, \beta_s, +P_{\text{haseFunCTion}})$   
 $(\tau, \omega_0)$



# How to characterize clouds?

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## Approaches to provide that to RT model



# Specific issues (I)

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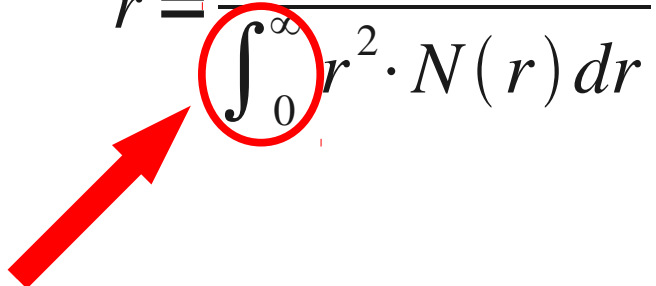
## accurate determination of cloud describing parameter

concerns

Mass Content:

$$MC = \int_0^{\infty} \rho \cdot V(r) \cdot N(r) dr$$

Mean Particle size:

$$\bar{r} = \frac{\int_0^{\infty} r^3 \cdot N(r) dr}{\int_0^{\infty} r^2 \cdot N(r) dr}$$


by definition over ALL particle sizes

**Problem:** different quantities are sensitive to different fractions of the size spectrum





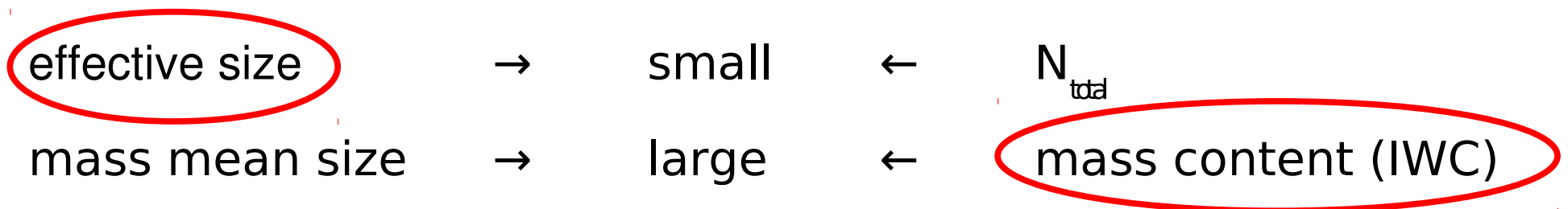
# Specific issues (I)

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## accurate determination of cloud describing parameter

**Problem:** different quantities are sensitive to different fractions of the size spectrum

- Bulk optical properties, i.e. remote sensing observations – depending on spectral region:
  - mm: several tens of  $\mu\text{m}$ ...few mm
  - IR: several tenths...few tens of  $\mu\text{m}$



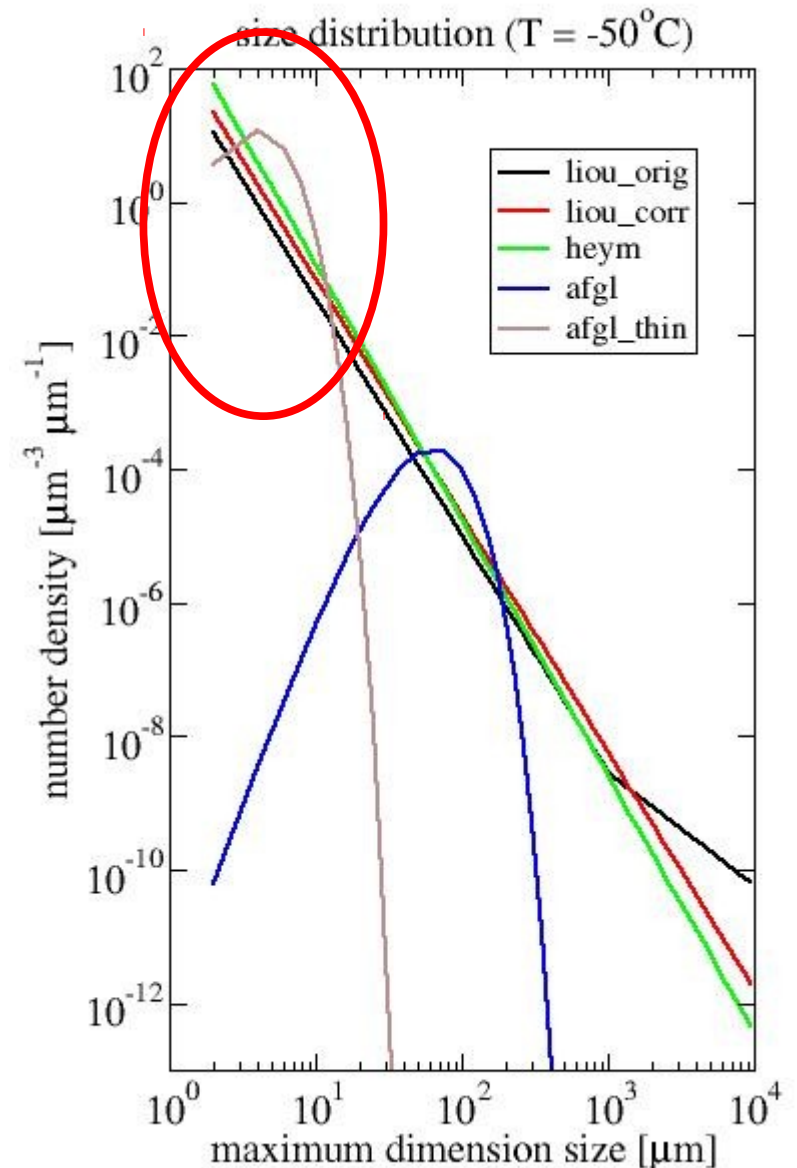
 sensible assumptions on no-sensitivity range necessary

# Specific issues (I)

## accurate determination of cloud describing parameter

**Problem:** at small and large particle edges,  $N(r)$  often not very well known

? What is a good (reliable?) range definition to do the  $N(r)$  integrals over?

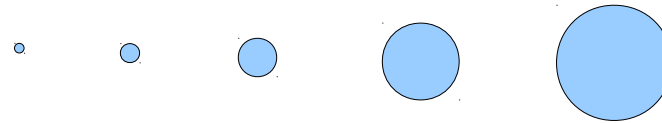


## Specific issues (II)

### determining an optimal particle size grid

1) Optical properties for single particle (monodisperse):

$\sigma_a, \sigma_s, \text{PFCT}(r)$

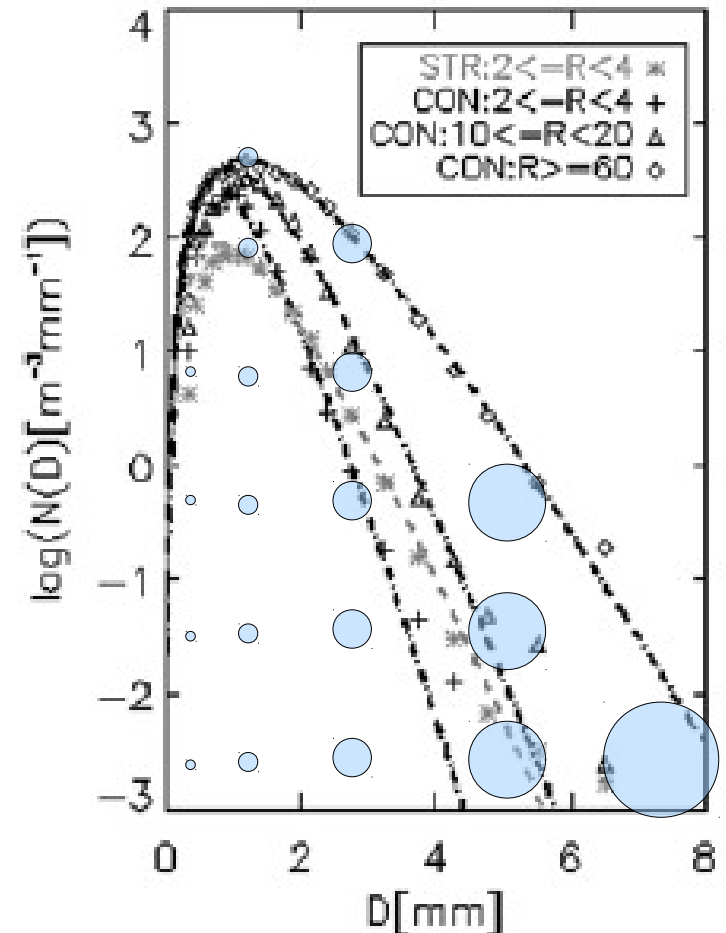


2) Bulk optical properties: convolve with size distribution  $N(r)$

$$\bar{\sigma} = \int \sigma(r) \cdot N(r) dr$$

? For step 1), what is an optimal size grid?

- as accurate as necessary
- as efficient as possible



## Specific issues (II)

### determining an optimal particle size grid

➔ when  $\sigma_a, \sigma_s, \text{PFCT}(r)$  vary smoothly, grid can be wider

➔ general idea about  $\sigma_a, \sigma_s, \text{PFCT}(r)$  behaviour from Mie theory

